

State the rule of the transformation.

- 1) A figure is translated 3 units right and 2 units down.

$$(x, y) \rightarrow (x+3, y-2)$$

- 2) A figure is reflected about the y-axis.

$$(x, y) \rightarrow (-x, y)$$

- 3) A figure is rotated 90 degrees CW.

$$(x, y) \rightarrow (y, -x)$$

- 4) A figure is reflected about the line $y = 4$.

$$(x, y) \rightarrow (x, -y+8)$$

- 5) A figure is translated $\langle 3, -1 \rangle$ and reflected about the x-axis.

$$(x, y) \rightarrow (x+3, y-1) \rightarrow (x+3, -y+1)$$

- 6) A figure is rotated 90 degrees ~~CW~~ CCW

$$(x, y) \rightarrow (-y, x)$$

- 7) A figure is reflected about the line $y = x$.

$$(x, y) \rightarrow (y, x)$$

- 8) A figure is rotated 90 degrees CCW about the point $(2, 6)$.

$$(x, y) \rightarrow (x-2, y-6) \rightarrow (-y+6, x-2) \rightarrow (-y+8, x+4)$$

Describe the transformation.

9) $(x, y) \rightarrow (x + 1, y - 4)$

~~TRANSLATE RIGHT
DOWN 4~~

12) $(x, y) \rightarrow (x + 2, y)$

~~TRANSLATE 2 RIGHT~~

15) $(x, y) \rightarrow (x, -y)$

~~REFLECT OVER THE
X-AXIS~~

10) $(x, y) \rightarrow (y, -x)$

~~ROTATION 90° CW~~

13) $(x, y) \rightarrow (y-2, x-2)$

~~REFLECT OVER Y=X
TRANSLATE <-2, -2>~~

16) $(x, y) \rightarrow (-y, -x)$

~~REFLECTION OVER
 $y = -x$~~

11) $(x, y) \rightarrow (-x, y + 3)$

~~GLIDE REFLECTION...
REFLECT OVER Y-AXIS
TRANS UP 3~~

14) $(x, y) \rightarrow (y, x)$

~~REFLECTION OVER
 $y = x$~~

17) $(x, y) \rightarrow (-y, x + 1)$

~~ROTATE 90° CCW
TRANSLATE UP !~~

Find the specified image coordinate.

- 18) If $A(2, -5)$ is rotated 90° CCW about $M(3, -1)$, what is A' ?

$$(x, y) \rightarrow (x-3, y+1) \\ \rightarrow (-y-1, x-3) \rightarrow (-y+2, x-4) \\ A'(7, -2)$$

- 19) If $L(-2, -2)$ is translated 4 units left and 5 units up, what is L' ?

$$L'(-6, 3)$$

- 20) If A is reflected about $y = -1$, the image, A' , is $(4, 10)$. What is A ?

$$A(4, -12)$$

- 21) If L is rotated 180° CW about $W(2, 0)$, its image, L' , is $(-3, -4)$. What is L ?

$$L(7, 4)$$

Short answer.

- 22) A line segment \overline{TP} is rotated 90° CCW about the fixed point of J . How are T , J and T' related?

$$\overline{TJ} \perp \overline{T'J} \quad \text{OR} \quad \angle TJT' \text{ IS RIGHT}$$

- 23) A line segment \overline{RS} is translated by the vector $\langle 3, 4 \rangle$. How are $\overline{RR'}$ and $\overline{SS'}$ related?

$$\overline{RR'} \parallel \overline{SS'} \quad \text{&} \quad \overline{RR'} \cong \overline{SS'}$$

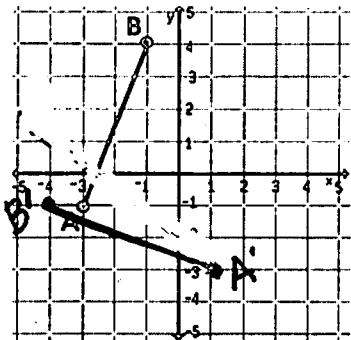
- 24) A line segment \overline{AB} is reflected across the line \overline{XY} . How are $\overline{BB'}$ related to \overline{XY} ?

$$\overline{XY} \perp \text{bis of } \overline{BB'}$$

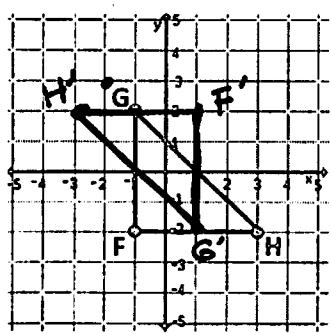
Complete the transformation of the new image. If the rule was provided, describe the transformation. If the transformation was described, write the rule.

ROTATE 90° CCW

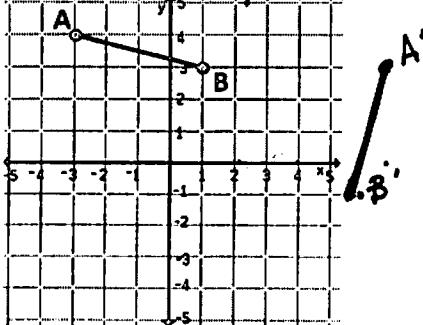
25) $AB(x, y) \rightarrow A'B'(-y, x)$



28) Rotate FGH by 180°.
 $(x, y) \rightarrow (-x, -y)$

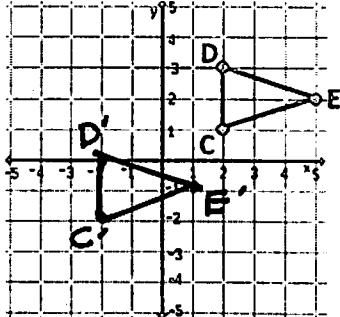


31) $AB(x, y) \rightarrow A'B'(y+3, -x)$
ROTATE 90° CW, TRANS UP 3



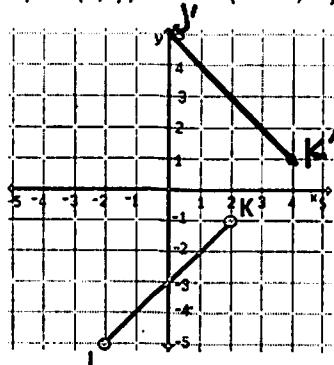
TRANSLATE <-4, -3>

26) $\Delta CDE(x, y) \rightarrow \Delta C'D'E'(x-4, y-3)$

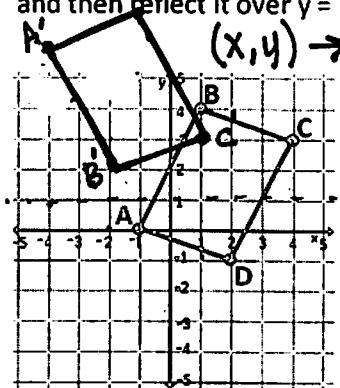


**TRANSLATE 2 RIGHT
REFLECT OVER X-AXIS**

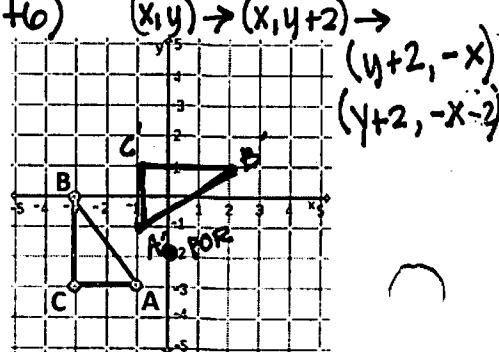
27) $JK(x, y) \rightarrow J'K'(-x+2, -y)$



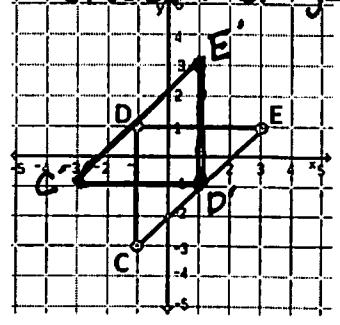
29) Translate ABCD by <-3, -4>
and then reflect it over y = 1.



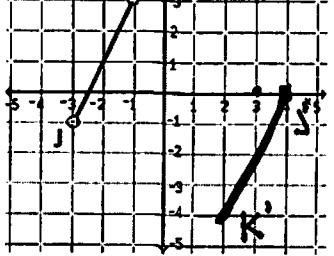
30) Rotate ABC 90° CW
about the point (0, -2)
 $(x, y) \rightarrow (x, y+2) \rightarrow$



32) $\Delta CDE(x, y) \rightarrow \Delta C'D'E'(y, x)$
REFLECT OVER Y=X

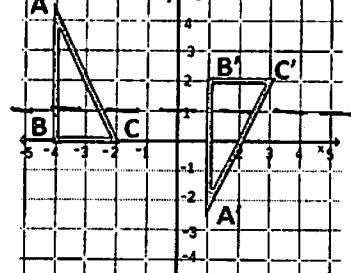


33) $JK(x, y) \rightarrow J'K'(-x+1, -y-1)$
**ROTATE 180°, TRANS 1 RIGHT
1 DOWN**



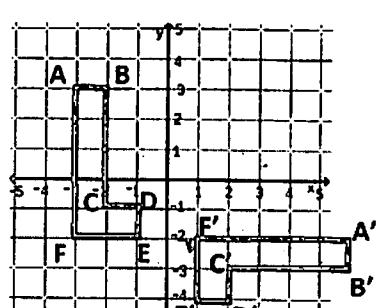
Describe in words the transformation shown and write the rule for this transformation.

34) $(x, y) \rightarrow (x+5, -y+2)$



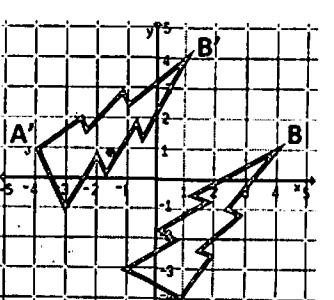
**REFLECT OVER Y=1
TRANSLATE 5 RIGHT**

35)



**ROTATE 90° CW THEN
TRANSLATE <3, -5>
 $(x, y) \rightarrow (y, -x) \rightarrow (y+3, -x-5)$**

36)



**REFLECT OVER Y=X
 $(x, y) \rightarrow (y, x)$**